

Far Field of Large, Wideband, Scanning Arrays

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The wave radiating from the phase center of an antenna has a constant phase over a sphere of diameter R just like a point source. When this spherical wave impinges on a receive antenna, as shown in Fig. 1, the wave arrives at the center prior to the edges by $\Delta R/c$ seconds. This spherical wave approximates a plane wave (plane of constant amplitude and phase) when the maximum phase deviation across the aperture is less than $\lambda/16$ or $\pi/8$ radians. The IEEE antenna standard stipulates that the spherical wave approximates a plane wave at the receive antenna at a distance of

$$R = \frac{2D^2}{\lambda} \quad (1)$$

where R is the separation distance between the transmit and receive antennas, and D is the larger of the maximum dimension of the receive antenna and transmit antenna. Low sidelobe antennas need a larger separation distance, because ΔR must be smaller due to the higher phase accuracies associated with low sidelobe levels. Most of the time, an antenna is in the far field, so a plane wave accurately describes the transmit and receive signals.

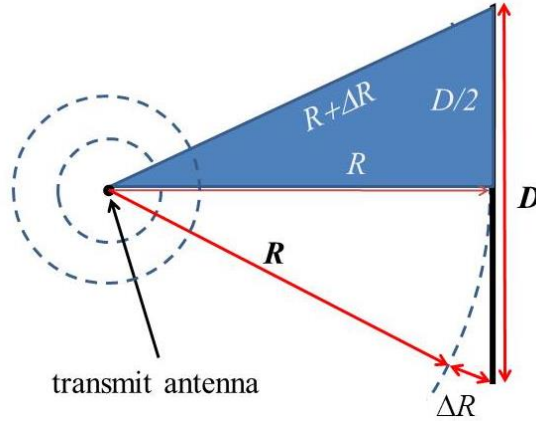


Fig. 1. Antenna far field definition.

The existing IEEE definition of far field is based upon the phase of a single frequency or narrow bandwidth signal. An alternative definition might be derived from a time domain signal. For instance, if ΔR represents 1/16th the distance traveled by the signal in the time represented by one pulse or one bit, then

$$R^2 + \left(\frac{D}{2}\right)^2 = \left(R + \frac{\tau c}{16}\right)^2, \quad (2)$$

$$R \geq \frac{2D^2}{\tau c}.$$

The selection of $\Delta R = \lambda/16$ as the standard for the far field is somewhat arbitrary. Selecting $\Delta R = \tau c/16$ as a standard would also be arbitrary.

This presentation will discuss the far field definition implications on pulse dispersion for large, wideband, scanning arrays.